

IMF direction derived from cycloid-like ion distributions observed by Mars Express

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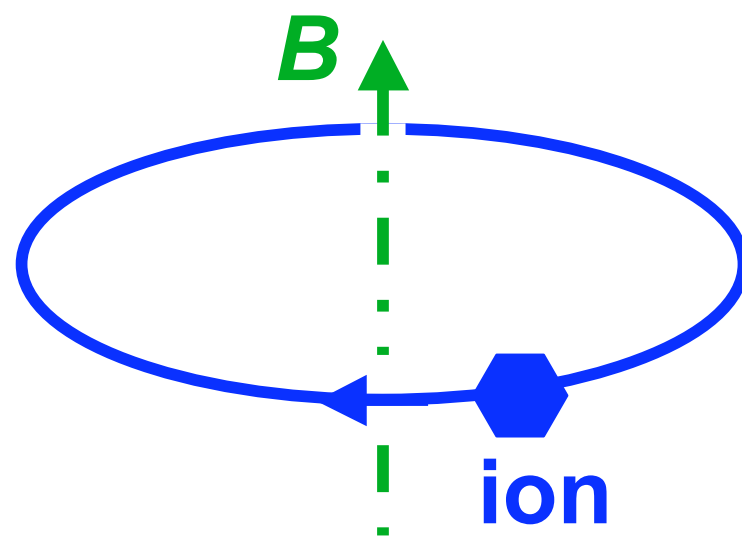
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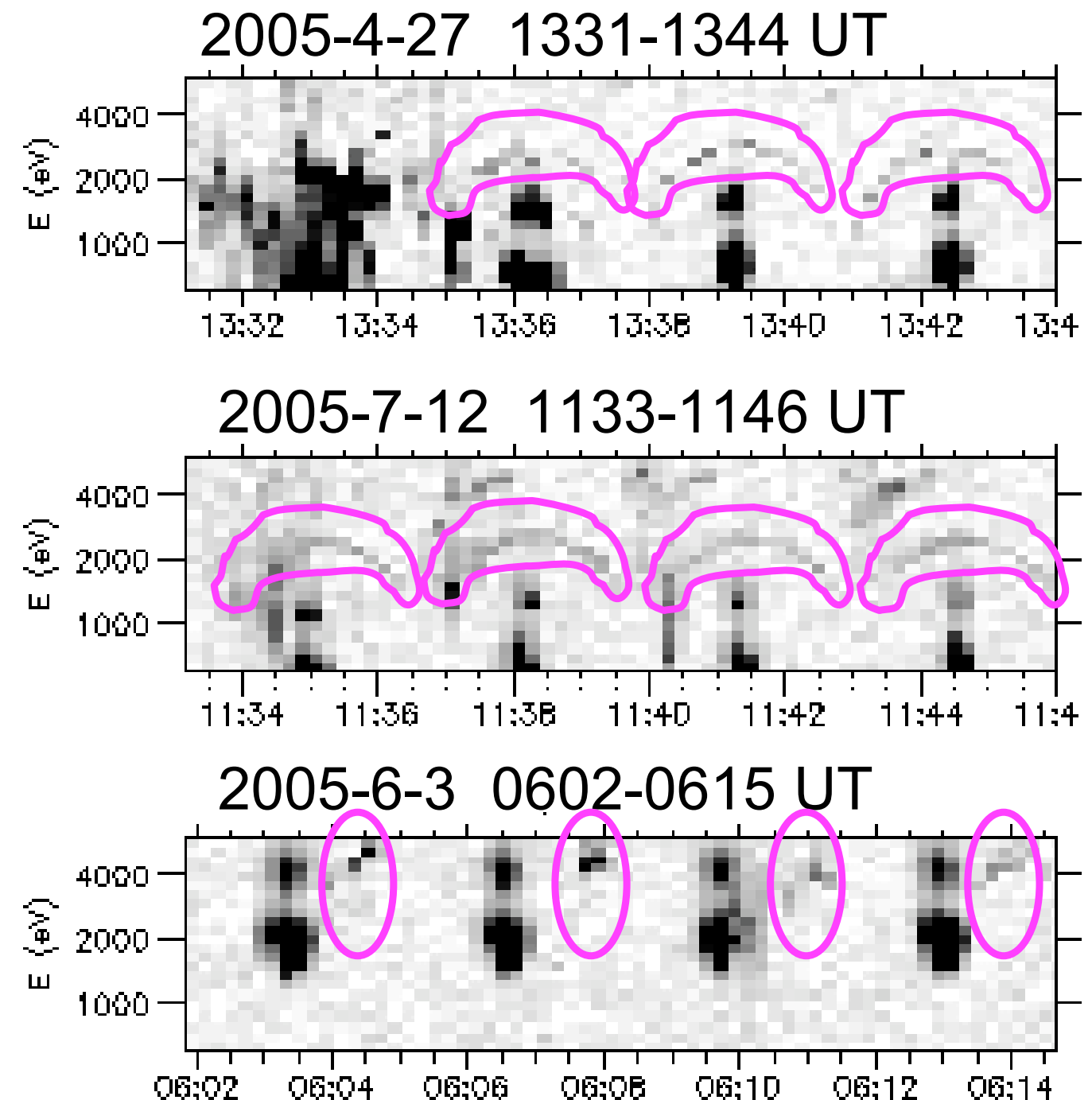
Motivation

To understand Mars Express (**MEX**) hot plasma and energetic neutral atom (**ASPERA-3**) data, it is important to have the magnetic field (**B**) measurement. However, **MEX** does not measure **B** (because of bureaucracy), and **B** is measured only on Venus Express. Therefore, any method to estimate **B** on **MEX** is helpful. Using Mars Global Surveyor (MGS) data is one method, but we here take another approach :

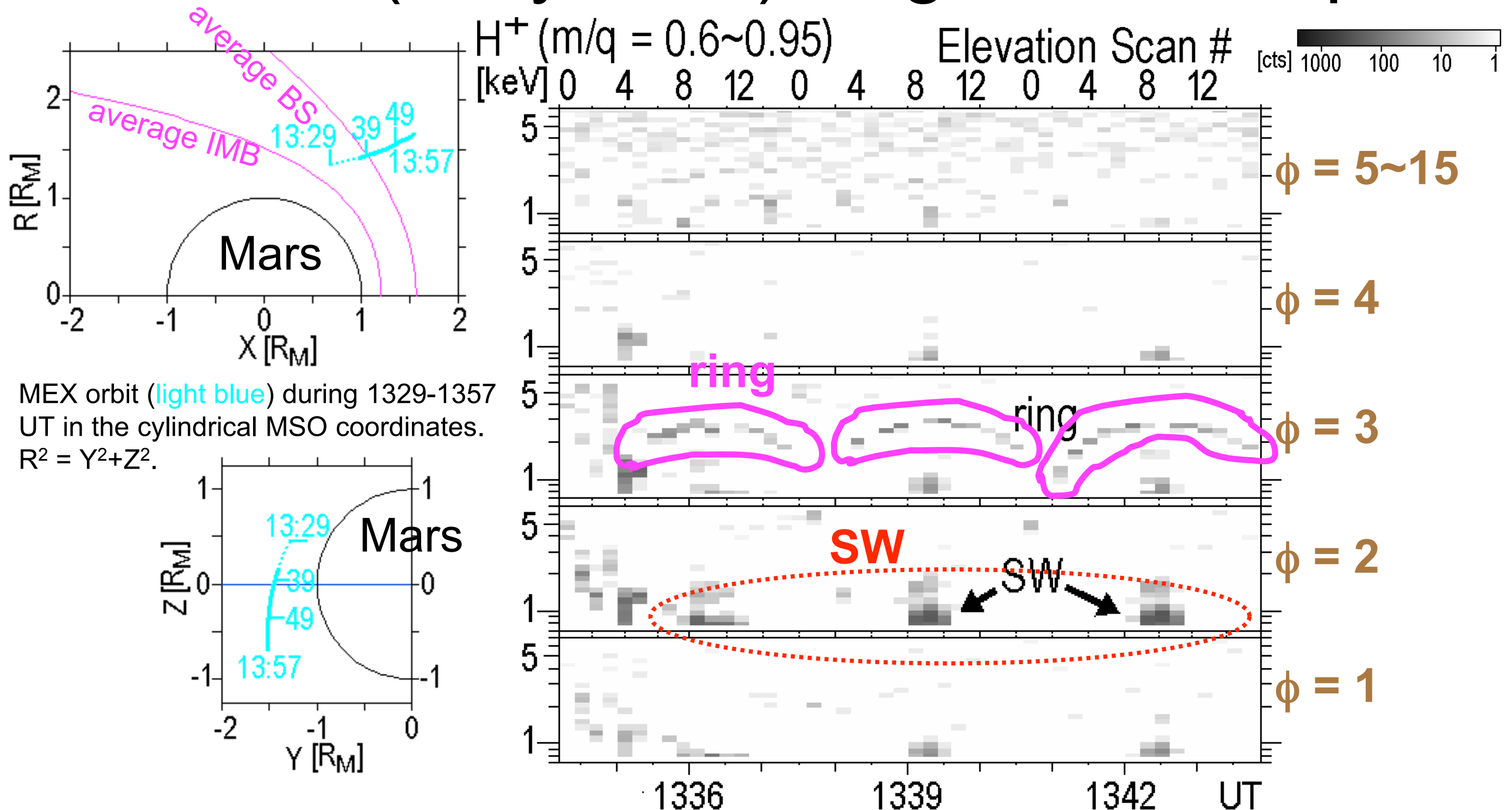


Analyze gyromotion of ions observed by ASPERA-3 ion mass analyser (IMA) because ion motion in velocity space is a ring! (spiral motion in real space)

Actually, the ring distribution is the "clearest signature" among many interesting phenomena seen in IMA Quick Look (mass and azimuth are integrated)

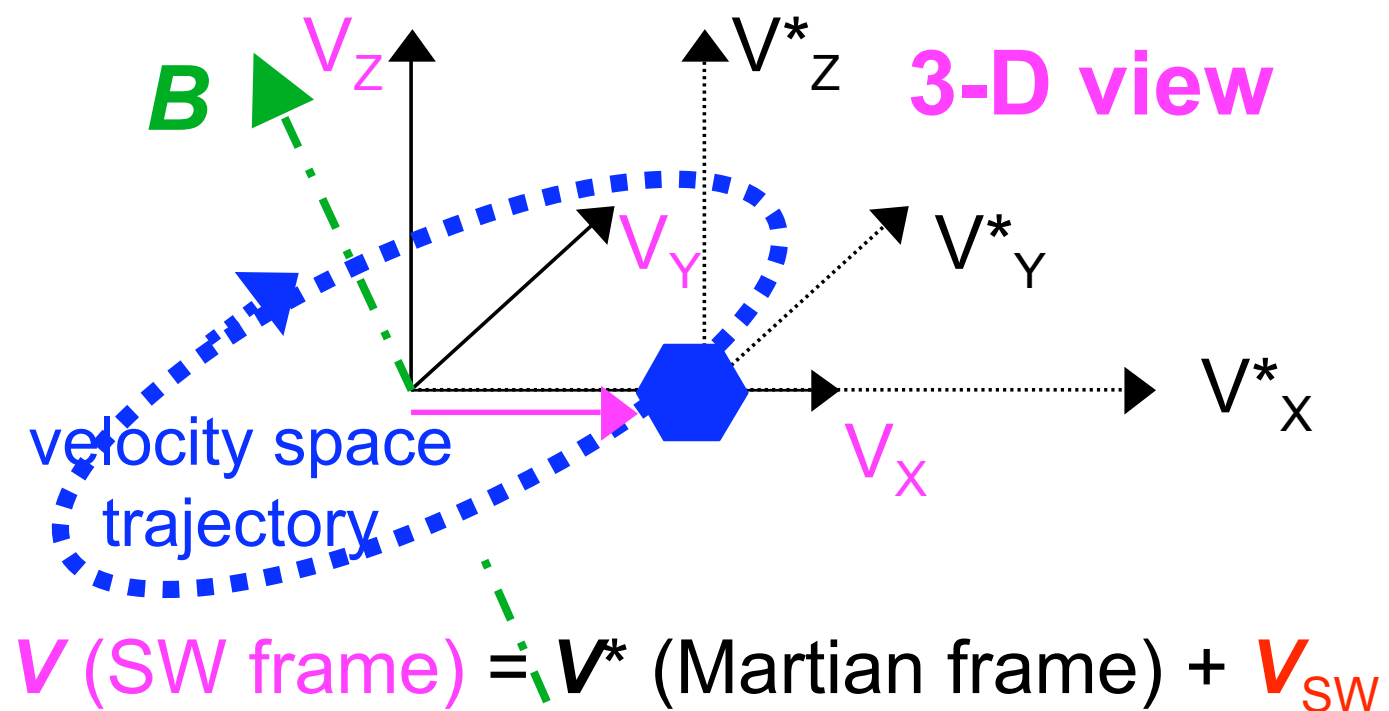


2005-4-27 (easy case) single azimuth plots



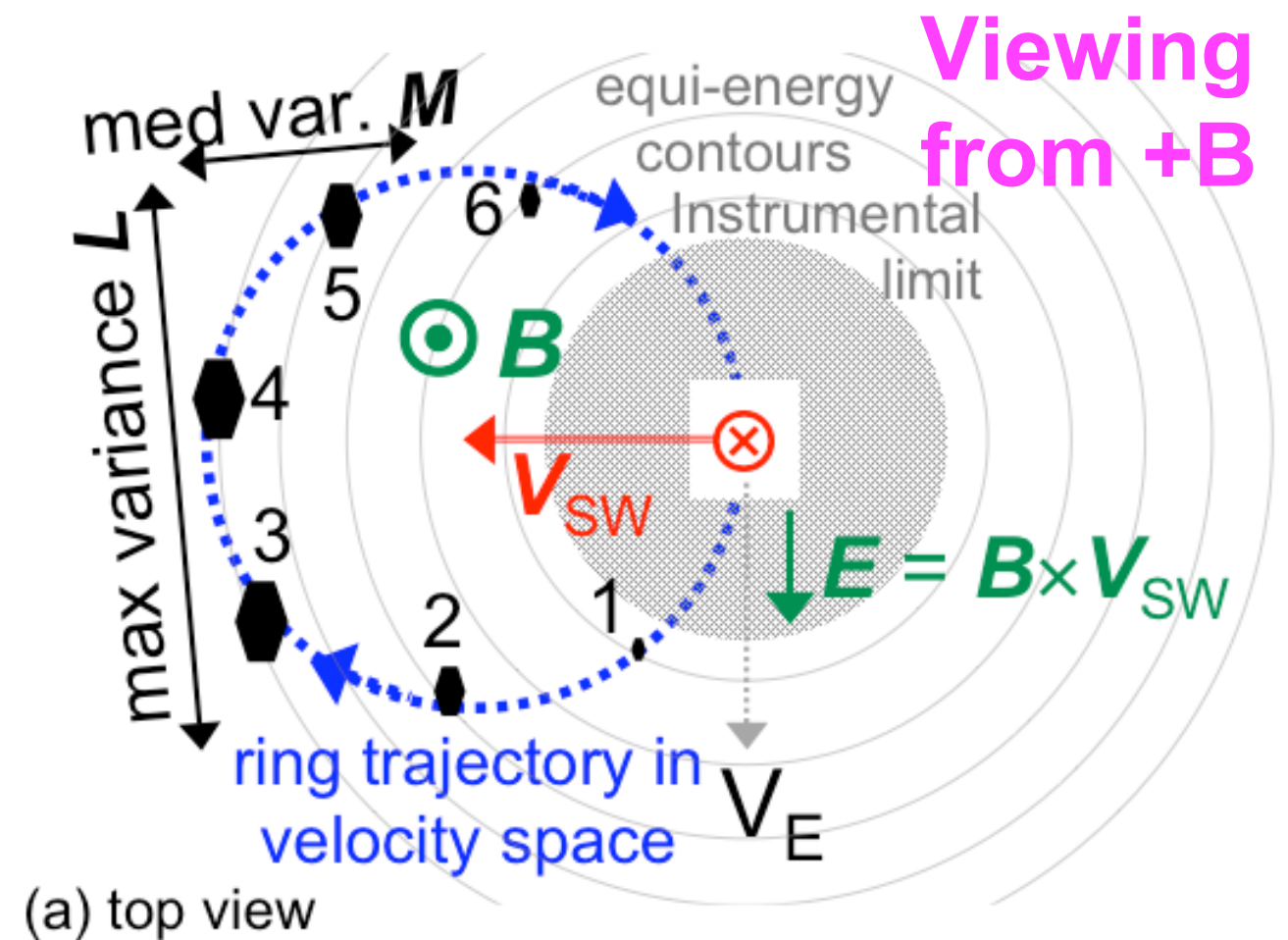
IMA energy-time spectrograms for proton channel at 0.7-7 keV during 1334:00-1343:40 UT on 27 April 2005. Five different azimuthal sectors (ϕ) are presented except sector 0. The nearly 3-min cycle seen in the IMA data is due to the electric scan of the entrance direction from nearly -45° (elevation=0) to nearly $+45^\circ$ (elevation=15). The counts that are seen above the solar wind in the proton channel are due to contamination from alpha particles.

Ion motion with $V_0=0$

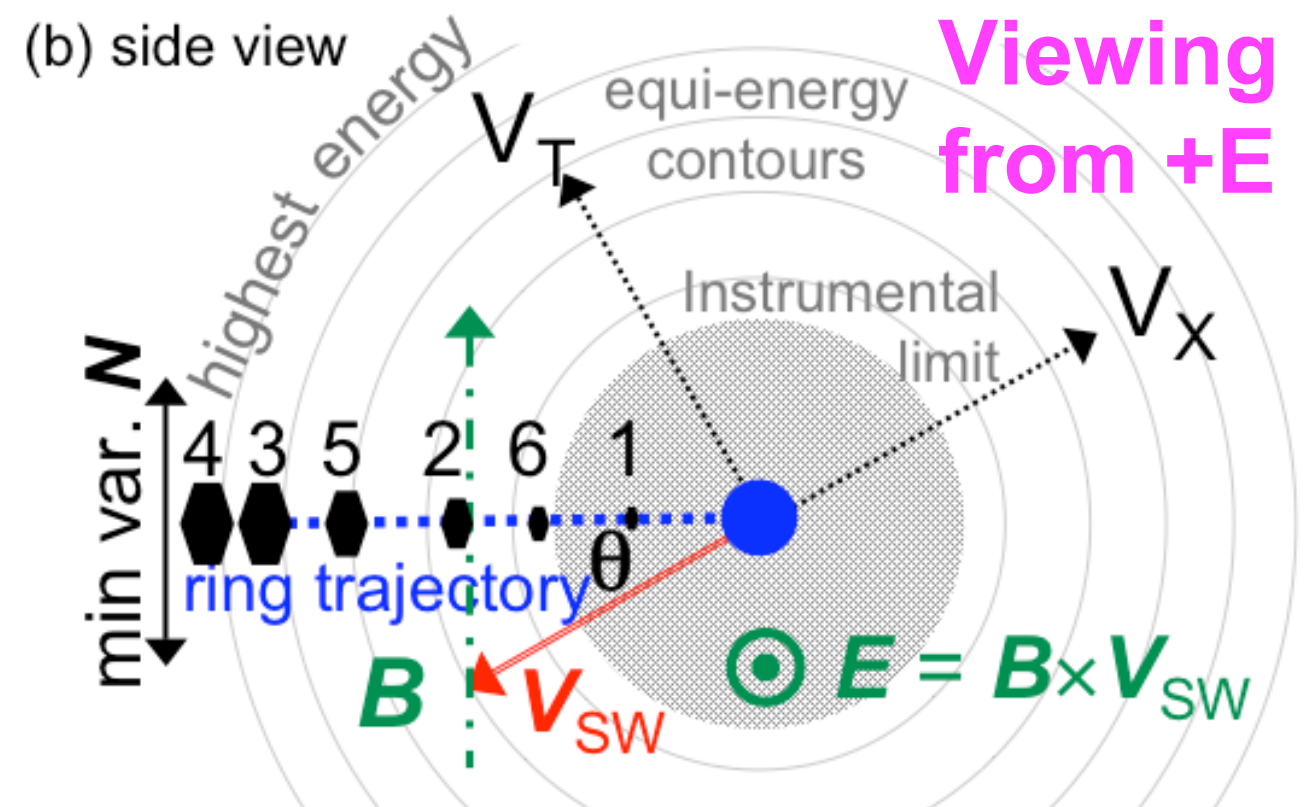


Ions with $V_0=0$ in **Martian frame** have an initial velocity $-V_{SW}$ in **SW rest frame** where **E** (electric field) **=0**. Ions in **SW rest frame** make simple spiral trajectory (simple gyration + constant parallel velocity), i.e, **a simple ring** in velocity space as indicated by **blue dashed lines**.

Ring = within a plane $\Rightarrow$ the minimum variance direction (N) is parallel to B !



Initial $\perp$ velocity to B is $V_0 \cos \theta$

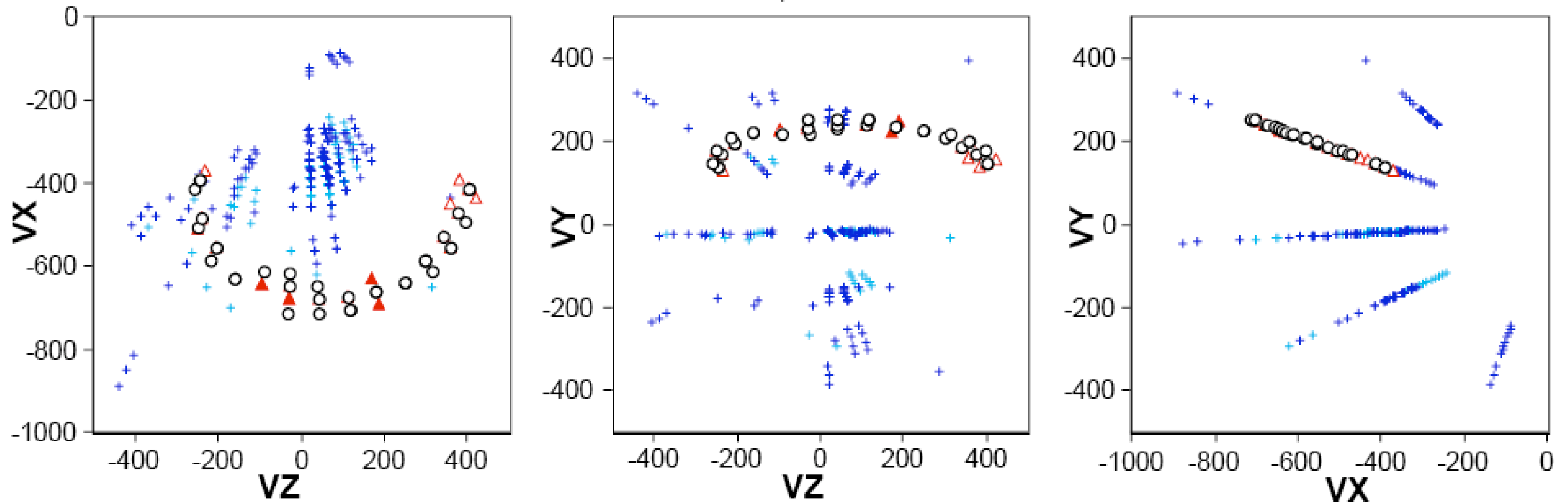


Velocity space plots of the data

2005-4-27, 1334-1357 UT

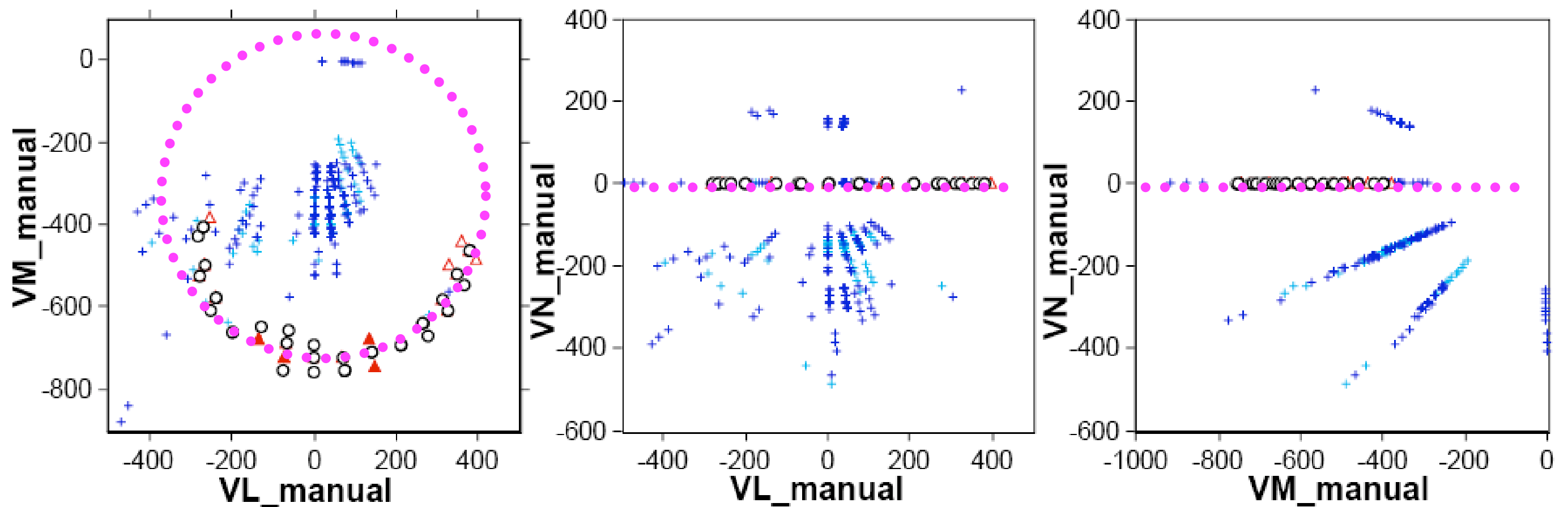
(a)

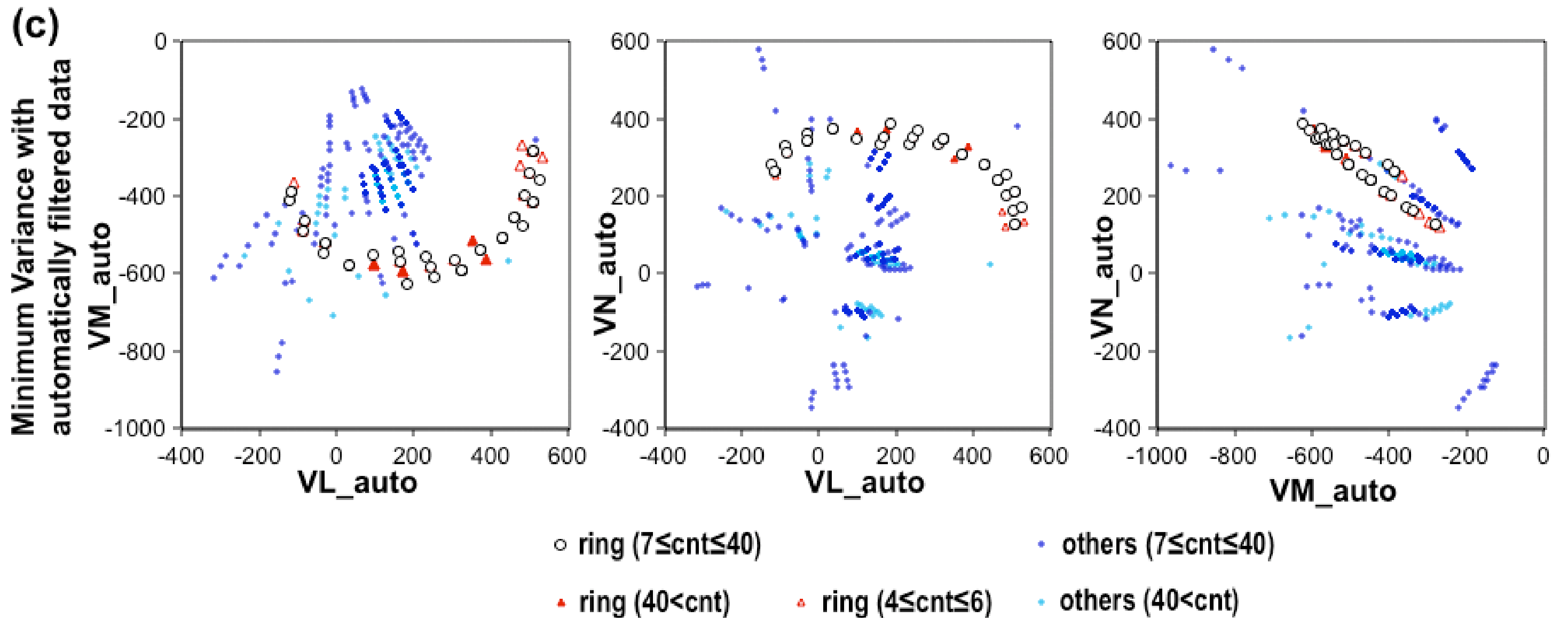
MSO coordinate



(b)

Minimum Variance with
manually selected data





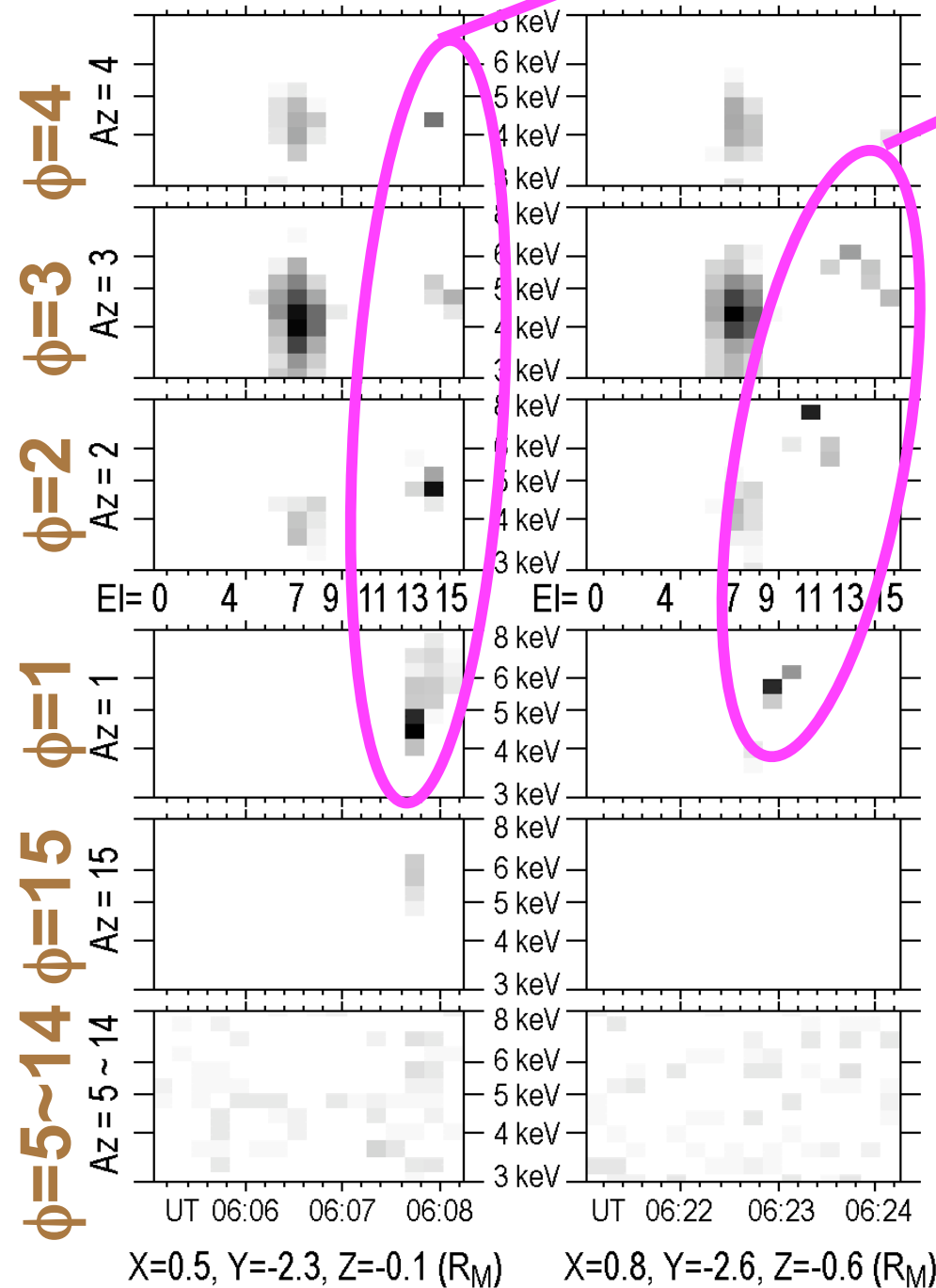
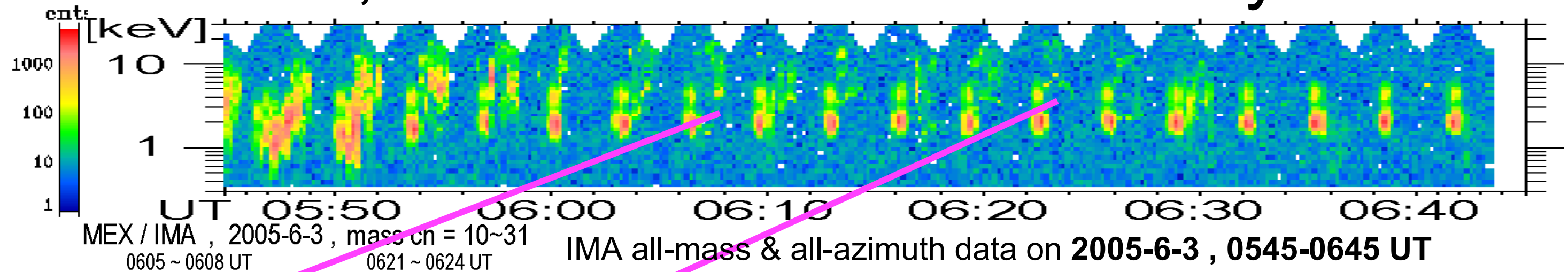
Velocity (in km/s) scatter plots of the H⁺ data (mass range 0.5-1.1: slightly contaminated by SW He⁺⁺) during 1334-1357 UT, 27 April 2005, in (a) MSO coordinates, and maximum(L)-medium(M)-minimum(L) variance coordinates determined from (b) manually selected ring data, and (c) automatically filtered data during 1337-1357 UT. Azimuth=0 data are not shown (total 450 points).

The **circles** and **triangles** denote the points belonging to the **ring distribution** by a manual inspection, with **circles** corresponding to 7-40 counts, **filled triangles** corresponding to more than 40 counts, and **empty triangles** corresponding to 4-6 counts.

Non-ring data are shown using **plus** marks (**blue**: count is 7-40, **light blue**: count more than 40).

Coordinates given (b) arranges the ring data fitting to a circle best passing through the origin.

However, IMA orientation is not always ideal



Aligned in the azimuthal direction (points 2, 3, 4, 5 in the ion-motion illustration)



Linear alignment (small data range in **M** direction)



Minimum variance method gives clear L direction ($\parallel \pm \mathbf{E}$), but not M & N directions.



We may not use $\pm \mathbf{N}$ as estimate of **B** direction, but

(1) $\mathbf{E} \times \mathbf{V}_{sw}$ gives B_Y/B_Z orientation !

(2) B_X/B (or θ) can be obtained intuitively

IMA light ion (H^+ and He^{++}) data (3~8 keV) for each azimuth at ~0608 UT & ~0623 UT

cf. beam-origin ($\mathbf{V}_0 \neq 0$) ring distribution case

Alignment direction of the **ring data** by IMA

$\approx$ Maximum variance direction (L_X, L_Y, L_Z)

where $L_X \ll 1$

$$\Rightarrow \mathbf{B}_T = (0, B_Y, B_Z) \parallel \mathbf{V}_{SW} \times \mathbf{E} \parallel (0, L_Z, -L_Y)$$

Sign of $\mathbf{B}$

If L = evolution direction, $\text{sign}(B_Z) = -\text{sign}(L_Y)$

Tilt toward X ($=\theta$)

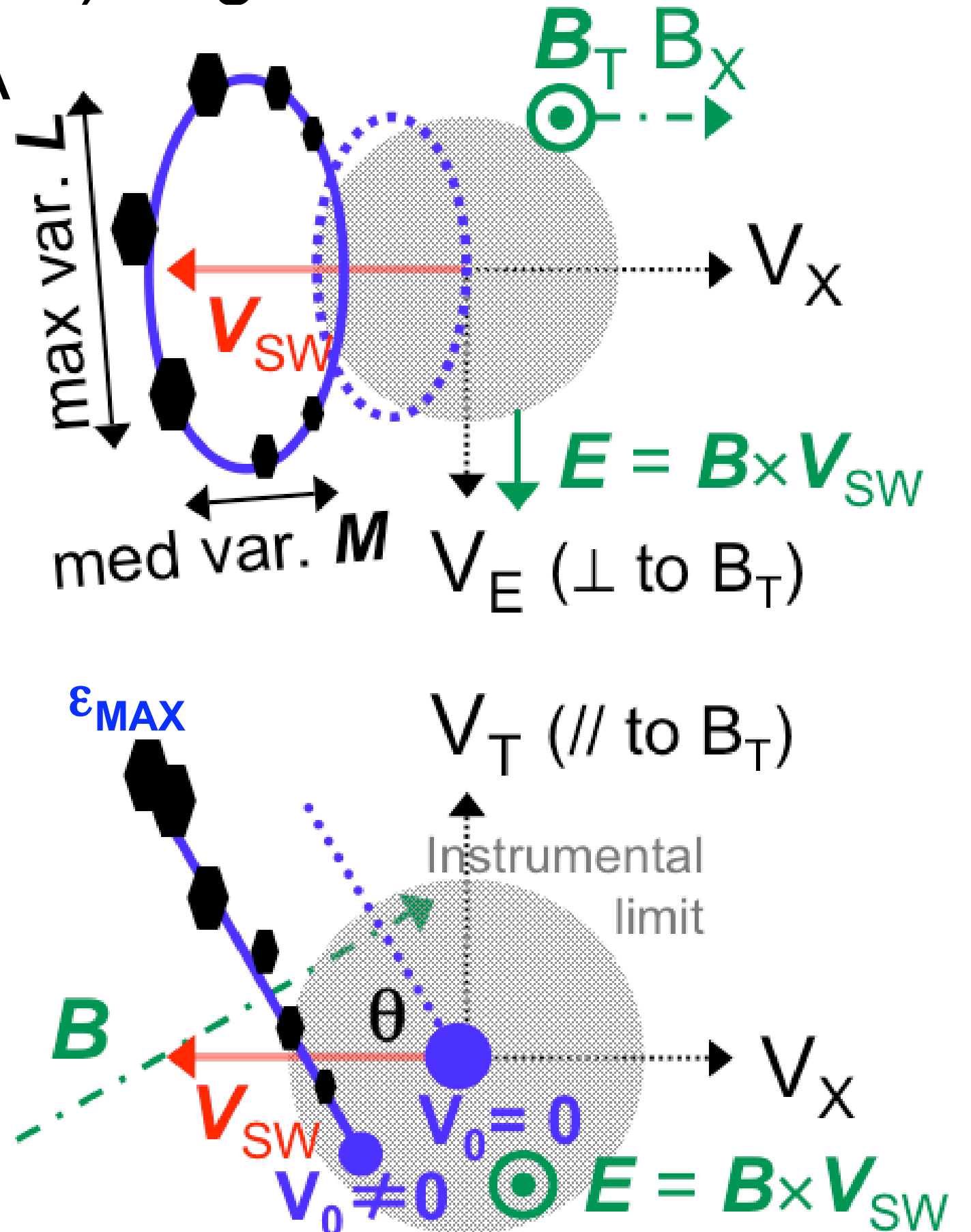
* θ' = angle between max energy (ϵ_{MAX}) direction and solar wind direction

* Ratio $k = V_{MAX}/V_{SW} = (\epsilon_{MAX}/\epsilon_{SW})^{1/2}$

If $\mathbf{V}_0 = 0$, two angles must be the same,

i.e., $\theta' = \theta$, and $k = \cos(\theta)$

$\Rightarrow$ If $\cos(\theta') = k$, most likely $\theta = \theta'$



Procedure & result

- (1) Manually select the ring distribution.
- (2) Apply the minimum variance method to determine **L**, **M**, and **N**.

If the ring data is well arranged into a partial circle, $\pm \mathbf{N} // \mathbf{B}$

If not,

- (3) Examine $|L_x| < 0.3$. If yes, $\mathbf{L} // -\mathbf{E}_{SW}$.
If not, remove the direction that corresponds to the lowest energy from the selected set of data and re-calculate a new **L**.
- (4) Manually obtain ϵ_{MAX} and θ' .
- (5) Check if $\epsilon_{MAX} / 4\epsilon_{SW} \approx \cos^2(\theta')$ is satisfied.
If yes, we have $\theta \approx \theta'$, where $B_x/|B| = \sin(\theta)$.
- (6) If possible, identify the evolution direction and determine the sign of **L** and $\mathbf{E}_{SW}$. $\mathbf{B}_T$ is parallel to $\mathbf{V}_{SW} \times \mathbf{E}_{SW}$.

Using (1)~(2) $\Rightarrow$ Constant IMF for 2005-4-27 event

1336-1357 UT, dawn-dusk oriented IMF, with X tilt $\sim 20^\circ$

Using (3)~(6) $\Rightarrow$ Changing IMF for 2005-6-3 event

0608 UT, northward IMF, X tilt $\sim +35^\circ \sim 40^\circ$, Y tilt $\sim -10^\circ$

0613 UT, northward IMF, X tilt $\sim +35^\circ$, Y tilt $\sim -45^\circ$

0623 UT, northward IMF, X tilt $\sim +20^\circ$, Y tilt $\sim -30^\circ$

0633 UT, X tilt $> +40^\circ$